

SAFE HANDS & IIT-ian's PACE

MONTHLY MAJOR TEST-07 (NB-15 NEET) ANS KEY Dt. 05-05-2023

PHYSICS	
Q. NO.	[ANS]
1	C
2	A
3	B
4	B
5	B
6	C
7	A
8	B
9	C
10	A
11	A
12	B
13	A
14	D
15	A
16	C
17	D
18	A
19	A
20	A
21	A
22	D
23	A
24	B
25	A
26	A
27	C
28	D
29	D
30	B
31	A
32	D
33	A
34	A
35	B
36	B
37	B
38	C
39	A
40	D
41	D
42	B
43	A
44	C
45	B
46	B
47	B
48	D
49	A
50	A

CHEMISTRY	
Q. NO.	[ANS]
51	A
52	B
53	B
54	B
55	D
56	C
57	C
58	A
59	B
60	B
61	B
62	C
63	B
64	A
65	A
66	C
67	C
68	C
69	B
70	D
71	C
72	B
73	A
74	C
75	B
76	B
77	B
78	A
79	A
80	C
81	D
82	B
83	A
84	C
85	A
86	C
87	D
88	B
89	C
90	D
91	B
92	A
93	D
94	B
95	C
96	D
97	D
98	B
99	B
100	D

BOTANY	
Q. NO.	[ANS]
101	C
102	B
103	C
104	A
105	D
106	D
107	D
108	B
109	D
110	C
111	D
112	A
113	C
114	C
115	C
116	B
117	C
118	B
119	B
120	C
121	A
122	B
123	C
124	D
125	A
126	D
127	A
128	B
129	C
130	B
131	C
132	B
133	A
134	C
135	A
136	D
137	B
138	A
139	C
140	C
141	A
142	B
143	C
144	B
145	D
146	A
147	B
148	C
149	C
150	A

ZOOLOGY	
Q. NO.	[ANS]
151	C
152	B
153	C
154	A
155	C
156	D
157	B
158	D
159	C
160	B
161	B
162	A
163	A
164	C
165	B
166	B
167	D
168	B
169	B
170	C
171	C
172	C
173	C
174	B
175	D
176	C
177	C
178	C
179	C
180	A
181	A
182	A
183	C
184	C
185	B
186	A
187	B
188	B
189	B
190	A
191	C
192	C
193	D
194	A
195	D
196	A
197	A
198	D
199	A
200	A

PHYSICS SOLUTIONS

$$01. R = \frac{V}{I} = \frac{20 \pm 1}{2.5 \pm 0.5} = 8 \pm \Delta R$$

the error in the measurement is

$$= \frac{\Delta V}{V} + \frac{\Delta I}{I} = \frac{1}{20} + \frac{0.5}{2.5} = 0.05 + 0.2$$

$$= 0.25$$

$$\Delta R = 0.25 R = 0.25 \times 8 = 2$$

Thus the resistance of the wire with the error is 8 ± 2 ohm.

Hence correct answer is (C).

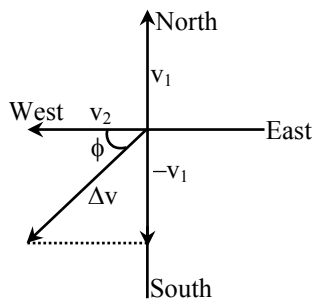
02. As shown in fig for quarter revolution

$$\Delta \vec{v} = \vec{v}_2 - \vec{v}_1 \text{ and } \theta = 90^\circ,$$

$$\text{So } \Delta \vec{v} = \sqrt{v^2 + v^2} = (\sqrt{2})v$$

$$\phi = \tan^{-1} \left(\frac{v}{v} \right) = 45^\circ$$

$$\Delta \vec{v} = \sqrt{2}v \text{ south west.}$$



Hence correct answer is (A).

03. Car covers a distance s before coming to rest using relation as $v^2 = u^2 + 2as$

$$\Rightarrow s = \frac{20 \times 20}{4 \times 2} = 50 \text{ m}$$

To avoid the clash the remaining distance $100 - 50 = 50$ m must be covered by the car with uniform velocity 20 m/s during the reaction time Δt .

$$\text{Hence } \frac{50}{\Delta t} = 20 \text{ or } \Delta t = \frac{50}{20} = 2.5 \text{ sec}$$

Hence correct answer is (B)

04. Let s be the distance between that two spots. Also assume that the velocity of the motor boat in still water is v and the velocity of flow of water is u .

Then, for downward journey,

$$s/t_1 = v + u \quad \dots(1)$$

For upward journey,

$$s/t_2 = v - u \quad \dots(2)$$

Adding eq. (1) to (2),

$$s/t_1 + s/t_2 = 2v$$

$$\text{or } t = \frac{s}{v} = \frac{2t_1 t_2}{(t_1 + t_2)} = \frac{2 \times 8 \times 12}{(8 + 12)} = 9.6 \text{ hr}$$

Hence correct answer is (B)

05. Let the ball B hits the ball A after t sec

The X-component of velocity of A is $v_0 \cos 37^\circ = 700 \cos 37^\circ$

The X-component of position of B is $300 \cos 37^\circ$

The collision will take place when the X-coordinate of A is the same as that of B.

As the collision takes place at a time t , hence

$$700 \cos 37^\circ \times t = 300 \cos 37^\circ$$

$$\text{or } t = (300/700) = (3/7) \text{ sec}$$

In this time the ball B has fallen through a distance

$$y = -1/2 gt^2 \text{ (Free fall of body B)}$$

$$= -1/2 \times 980 \times (3/7)^2 = -90 \text{ cm}$$

Hence the ball B falls a distance 90 cm

Hence correct answer is (B)

06. Total mass = $80 + 40 = 120$ kg

The rope cannot with stand this load so the fire man should slide down the rope with some acceleration

$$\therefore \text{ The maximum tension} = 100 \times 9.8 \text{ N}$$

$$m(g - a) = \text{tension}, 120(9.8 - a) = 100 \times 9.8$$

$$\Rightarrow a = 1.63 \text{ m/s}^2$$

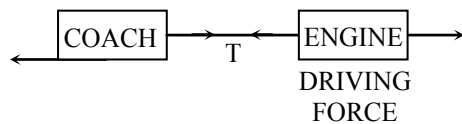
Hence correct answer is (C)

07. The engine, coach, coupling and resistance are, shown in fig

Driving force = 4500 N

Opposing force (Resistance)

$$= \frac{(5+4)10^4}{100} = 900 \text{ N}$$



Resultant force = 4500 - 900 = 3600 N

Mass of engine and coach = 9×10^4 kg

According to Newton's law, $F = ma$

$$\therefore 3600 = 9 \times 10^4 a$$

$$\text{or } a = (3600) / (9 \times 10^4) = 0.04 \text{ m/sec}^2$$

So acceleration of the train = 0.04 m/sec²

Now considering the equilibrium of the coach only, we have

$$(T - R) = 4 \times 10^4 \times 0.04 \quad (\because F = ma)$$

$$\text{or } T - \frac{4 \times 10^4}{100} = 4 \times 10^4 \times 0.04,$$

$$T = 4 \times 10^4 \times 0.04 + 4 \times 10^2$$

$$= 1600 + 400 = 2000 \text{ N}$$

Hence correct answer is (A)

08. b

09. $\Delta k = W$ (Work energy theorem)

$$\left(\frac{1}{2}mv^2 - 0 \right) = FS$$

$$\frac{1}{2}mv^2 = \mu mgS$$

$$S = \frac{v^2}{2\mu g} \quad v \rightarrow \text{same}$$

$\mu \rightarrow \text{same}$

$S \rightarrow \text{same}$

10. Let m_1 and m_2 be the masses of electron and hydrogen atom respectively. If u_1 and v_1 be the initial and final velocities of electron, then

initial kinetic energy of electron

$$K_i = \left(\frac{1}{2} \right) m u_1^2$$

final kinetic energy of electron

$$K_f = \left(\frac{1}{2} \right) m v_1^2$$

Fractional decrease in K.E.,

$$\frac{K_i - K_f}{K_i} = 1 - \frac{v_1^2}{u_1^2} \quad \dots (1)$$

For such a collision, we have

$$v_1 = \left(\frac{m_1 - m_2}{m_1 + m_2} \right) u_1$$

$$\therefore \frac{v_1}{u_1} = \left(\frac{m_1 - m_2}{m_1 + m_2} \right) \quad \dots (2)$$

From eqs. (1) and (2) we have

$$\frac{K_i - K_f}{K_i} = 1 - \left(\frac{m_1 - m_2}{m_1 + m_2} \right)^2$$

$$= \frac{4m_1m_2}{(m_1 + m_2)^2}$$

$$\text{or } \frac{K_i - K_f}{K_i} = \frac{4(m_2/m_1)}{(1 + m_2/m_1)^2}$$

$$= \frac{4 \times 1850}{(1 + 1850)^2}$$

$$= 0.00217 = 0.217\%$$

11. a

$$12. \frac{1}{2} kx^2 = \frac{1}{2} mv^2$$

$$\frac{1}{2} k(.3)^2 = \frac{1}{2} (242 \times 10^4) \left(7.2 \times \frac{5}{18}\right)^2$$

$$k = 107.5 \times 10^6$$

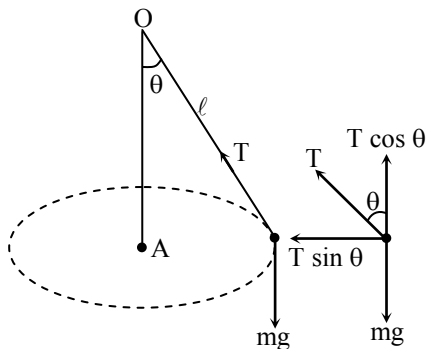
$$U = \frac{1}{2} (.15)^2$$

$$= \frac{1}{2} \times 107.5 \times 10^6 \times (.15)^2$$

$$= 1.21 \times 10^6 \text{ J}$$

$$= 121 \times 10^4 \text{ J}$$

13.



From figure

$$T \cos \theta = mg \quad \dots(1)$$

$$T \sin \theta = \frac{mv^2}{r} = \frac{mv^2}{l \sin \theta} \quad \dots(2)$$

$$\text{From eq. (1) } T = \frac{mg}{\cos \theta}$$

When the string is horizontal, θ must be 90° i.e., $\cos 90^\circ = 0$

$$\therefore T = \frac{mg}{0} = \infty$$

Thus the tension must be infinite which is impossible, so the string can not be in horizontal plane.

The maximum angle θ is given by the breaking tension of the string in the equation $T \cos \theta = m.g$

Here T (Maximum) = 8 N and $m = 0.4 \text{ kg}$

$$\therefore 8 \cos \theta = 0.4 \times g = 0.4 \times 10 = 4$$

$$\cos \theta = (4/8) = \frac{1}{2}, \theta = 60^\circ$$

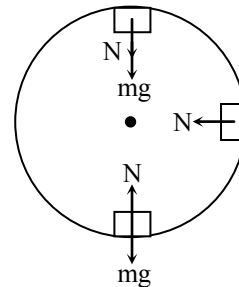
The angle with horizontal = $90^\circ - 60^\circ = 30^\circ$

$$\text{From equation (2), } 8 \sin 60^\circ = \frac{0.4 \times v^2}{4 \sin 60^\circ}$$

$$v^2 = \frac{32 \sin^2 60^\circ}{0.4} = 80 \sin^2 60^\circ$$

$$\Rightarrow v = \sqrt{80} \sin 60^\circ = 7.7 \text{ m/sec}$$

Hence correct answer is (A)

14. See fig, Here $v = 360 \text{ km/hr} = 100 \text{ m/sec}$ 

$$\text{At lower point, } N - mg = \frac{mv^2}{R},$$

$$N = \text{weight of the flyer} = mg + \frac{mv^2}{R}$$

$$N = 70 \times 10 + \frac{70 \times (10000)}{500} = 2100 \text{ N}$$

$$\text{At upper point, } N + mg = \frac{mv^2}{R},$$

$$N = \frac{mv^2}{R} - mg = 1400 - 700 = 700 \text{ N}$$

$$\text{At middle point, } N = \frac{mv^2}{R} = 1400 \text{ N}$$

Hence correct answer is (D)

15. As the belt does not slip, velocity of A = velocity B

$$\text{i.e. } v_A = v_B \text{ or } r_A \omega_A = r_B \omega_B$$

$$\text{Given, } r_A = 20 \text{ cm, } r_B = 30 \text{ cm}$$

$$\text{and } \omega_B = 2\pi \times 100/60 \text{ rad/sec}$$

$$\text{So, } 20 \omega_A = 30 \times 2\pi \times 100/60$$

$$= 100 \pi$$

$$\text{or } \omega_A = 5\pi \text{ rad/sec}$$

We know that, $\omega = \omega_0 + \alpha t$ or

$$t = \frac{\omega}{\alpha} \quad (\text{as } \omega_0 = 0)$$

$$\therefore t = \frac{5\pi}{3.14} = 5 \text{ sec}$$

$$16. I_A = \frac{m_A r_A^2}{2} \text{ and}$$

$$I_B = \frac{m_B r_B^2}{2},$$

$$\therefore \frac{I_A}{I_B} = \frac{r_A^2}{r_B^2}$$

$$(\because m_A = m_B) \quad \dots(1)$$

$$\text{Now, } m_A = \pi r_A^2 t d_A$$

$$m_B = \pi r_B^2 t d_B$$

$$\text{So, } \pi r_A^2 t d_A = \pi r_B^2 t d_B$$

$$\text{or } \frac{r_A^2}{r_B^2} = \frac{d_B}{d_A} \quad \dots (2)$$

From equations (1) and (2)

$$\frac{I_A}{I_B} = \frac{d_B}{d_A}. \text{ As } d_A > d_B \text{ hence } I_A < I_B$$

17. According to conservation of angular momentum,

Angular momentum before collision =
Angular momentum after collision

....(i)

Angular momentum of cylinder before collision

$$J_1 = I\omega = (1/2) mR^2 \omega$$

$$= (1/2) \times 2 \times 0.04 \times 3 = 0.12 \text{ J.sec}$$

Now from (i)

$$J_{\text{cyl}} + m_p vR = (I + mR^2) \omega$$

$$\Rightarrow \omega = \frac{0.12 + 0.5 \times 5 \times 0.2}{(1/2) \times 2 \times 0.04 + 0.5 \times 0.04}$$

$$= 10.3 \text{ rad/sec}$$

Now energy of system before collision

$$E = (1/2) I\omega^2 + (1/2) mv^2$$

$$= (1/2) \times (1/2) \times 2 \times 0.04 \times 9 + (1/2) \times 0.5 \times 25 = 6.43 \text{ J}$$

Energy of system after collision

$$E' = (1/2) I'\omega'^2 = (1/2) \times (1/2 M + m) R^2 \omega'^2$$

$$= (1/2) \times (1/2 \times 2 + 0.5) \times 0.04 \times (10.32)^2$$

$$= 3.18 \text{ J}$$

$$\text{Now } E - E_1 = 6.43 - 3.18 = 3.25 \text{ J}$$

18. (A)

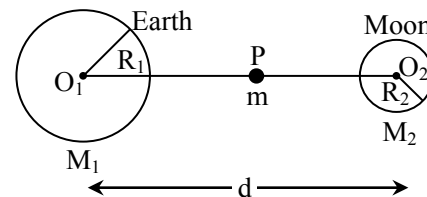
$$\frac{T^2}{r^3} = \frac{\left(\frac{2\pi r}{v_0}\right)^2}{r^3} = \frac{(2\pi r)^2}{r^3} \frac{1}{GM} \quad r = \frac{4\pi^2}{GM}$$

$$[\because \frac{mv_0^2}{r} = \frac{GMm}{r^2}, v_0^2 = \frac{GM}{r}]$$

Slope of $T^2 - r^3$ curve = $\tan \theta$

$$= \frac{T^2}{r^3} = \frac{4\pi^2}{GM}$$

19. (A) The P.E of the mass at $d/2$ due to the earth and moon is



$$U = -2 \frac{GM_1 m}{d} - 2 \frac{GM_2 m}{d}$$

$$\text{or } U = - \frac{2Gm}{d} (M_1 + M_2)$$

(Numerically)

$$\frac{1}{2} m V_e^2 = U$$

$$\Rightarrow V_e = 2\sqrt{\frac{G}{d}(M_1 + M_2)}$$

$$20. T = \frac{PV}{R}$$

$$\text{at } V = b, P = \frac{a}{(1+1)} = \frac{a}{2}$$

$$\therefore T = \frac{ab}{2R}$$

21. Using $PV = nRT$, we note that

$$P_1V = nRT_1$$

$$P_1(1.005)V = nR(T_1 + 2)$$

(note $\Delta P = P_2 - P_1 = 0.005 P_1$ and

$$\Delta T = 2^\circ\text{C} = 2\text{K}$$

$$\text{Dividing we get } 1.005 = \frac{T_1 + 2}{T_1}$$

$$\text{or } 0.005T_1 = 2 \Rightarrow T_1 = 400$$

$$\text{Thus in } ^\circ\text{C}, t_1 = 400 - 273 = 127^\circ\text{C}.$$

22. As the bubble rises the pressure gets reduced for constant temperature, if P is the standard atmospheric pressure, then

$$(P + \rho gh) V_0 = PV$$

$$\text{or } V = V_0 \left(1 + \frac{\rho gh}{P} \right)$$

$$23. Q = \frac{KA(Q_1 - Q_2)t}{x}$$

$$\Rightarrow 4800 \times 80 = \frac{K \times 3600 \times 100 \times 3600}{10}$$

$$\Rightarrow K = 0.003 \text{ cal/cm}^\circ\text{C}$$

24. \therefore Percentage increase in the amount of radiations emitted

$$\therefore \frac{E_2 - E_1}{E_1} \times 100 = \frac{(1.5T_1)^4 - T_1^4}{T_1^4} \times 100$$

$$\Rightarrow \frac{E_2 - E_1}{E_1} \times 100 = [(1.5)^4 - 1] \times 100$$

$$\frac{E_2 - E_1}{E_1} \times 100 = 400\%$$

Hence the correct answer is (B)

25. Given $t_W = 2 \text{ min}$, $t_{\text{alco}} = 1 \text{ min}$

$$m_W = 50\text{g}, m_{\text{alco}} = 50 \times 0.8 = 40\text{g}$$

$$S_W = 1 \text{ in cgs units}, W = 2\text{g}$$

Therefore,

$$\frac{dQ}{dt_A} = \frac{dQ}{dt_W}$$

$$\frac{m_A S_A + W}{t_A} = \frac{m_W S_W + W}{t_W}$$

$$\frac{40S_A + 2}{1} = \frac{50 \times 1 + 2}{2}$$

$$80S_A + 4 = 50 + 2$$

$$S_A = \frac{48}{80}$$

$$S_A = \frac{6}{10} = 0.6 \text{ cal/g}^\circ\text{C}$$

26. Here, length of the rod,

$$\Delta x = 20 \text{ cm} = 20 \times 10^{-2} \text{ m}$$

Diameter = 2 cm,

$$\text{radius} = r = 1 \text{ cm} = 10^{-2} \text{ m}$$

Area of cross section

$$a = \pi r^2 = \pi(10^{-2})^2 \pi \text{ sq. m}$$

$$\Delta T = 100 - 0 = 100^\circ\text{C}$$

Mass of ice melted, $m = 25\text{g}$

$$\text{As } L = 80 \text{ cal.g}^{-1}$$

Heat conducted, $\Delta Q = mL = 25 \times 80$

$$= 2000 \text{ cal} = 2000 \times 4.2\text{J}$$

$$\Delta t = 5 \text{ min} = 300 \text{ s}$$

$$\text{From } \frac{\Delta Q}{\Delta t} = KA \frac{\Delta T}{\Delta x}$$

$$K = \frac{2000 \times 4.2 \times 20 \times 10^{-2}}{300 \times 10^{-4} \pi \times 100}$$

$$= 1.78 \text{ Js}^{-1} \text{ m}^{-1} \text{ } ^\circ\text{C}^{-1}$$

27. The total surface area of the walls

$$= 2(60 \text{ cm} \times 60 \text{ cm} + 60 \text{ cm} \times 30 \text{ cm} + 60 \text{ cm} \times 30 \text{ cm})$$

$$= 1.44 \text{ m}^2.$$

The thickness of the walls = 1.5 cm = 0.015 m.

The rate of heat flow into the box is

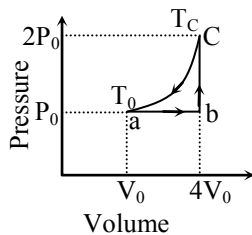
$$\frac{\Delta Q}{\Delta t} = \frac{KA(\theta_1 - \theta_2)}{x}$$

$$= \frac{(0.04 \text{ W/m}^\circ\text{C})(1.44 \text{ m}^2)(40^\circ\text{C})}{0.015 \text{ m}} = 154 \text{ W}.$$

The rate at which the ice melts is

$$= \frac{154 \text{ W}}{3.36 \times 10^5 \text{ J/kg}} = 0.46 \text{ g/s}.$$

28.



$$\therefore \frac{Pv}{T} = nR = \text{constant}$$

For any state of an ideal gas. Therefore

$$\frac{P_a V_a}{T_a} = \frac{P_c V_c}{T_c} \quad \text{or} \quad \frac{P_0 V_0}{T_0} = \frac{2P_0 4V_0}{T_c}$$

$$T_c = 8T_0$$

Thus change in internal energy

$$\Delta U = nC_V \Delta T$$

$$= 1 \times \frac{3}{2} \times R \times 7T_0 = \frac{21}{2} RT_0$$

$$= 10.5 RT_0$$

29. Efficiency of Carnot engine

$$\eta = 1 - \frac{T_2}{T_1} = 1 - \frac{300}{900} = 2/3$$

$$\therefore \eta = 66.6 \%$$

30. Coefficient of cubical expansion of metal is given by

$$\gamma = \frac{\Delta V}{Vt}$$

$$\frac{\Delta V}{V} = \frac{0.12}{100}, t = 20^\circ\text{C}$$

$$\therefore \gamma = \frac{0.12}{100 \times 20} = 6.0 \times 10^{-5} \text{ per } ^\circ\text{C}$$

Coefficient of linear expansion

$$\alpha = \frac{\gamma}{3} = \frac{6.0 \times 10^{-5}}{3} = 2.0 \times 10^{-5} \text{ Per } ^\circ\text{C}$$

31. Let D_0 and D_t be diameters of hole at 0°C and $t^\circ\text{C}$ respectively.

Circumference of hole at 0°C

$$\ell = 2\pi r_0 = \pi D_0$$

Circumference of hole at $t = 100^\circ\text{C}$

$$\ell t = 2\pi r_t = \pi D_t$$

From relation $\ell_t = \ell_0 (1 + \alpha.t)$, we get

$$\pi D_t = \pi D_0 (1 + 2.3 \times 10^{-5} \times 100)$$

$$D_t = 2.54 (1 + 0.0023)$$

$$= 2.5458 \text{ cm}.$$

32. Let mass of hot water = m kg

mass of cold water

$$= (20 - m) \text{ kg}$$

Heat taken by cold water

$$= (20 - m) \times 1 \times (35 - 10)$$

Heat given by hot water

$$= m \times 1 \times (100 - 35)$$

Law of mixture gives

Heat given by hot water

$$= \text{Heat taken by cold water}$$

$$m \times 1 \times (100 - 35) = (20 - m) \times (35 - 10)$$

$$65 m = (20 - m) \times 25$$

$$65 m = 500 - 25 m$$

$$\text{or } 90 \text{ m} = 500$$

$$m = \frac{500}{90} = 5.56 \text{ kg}$$

33. Let final temperature be θ

$$\text{Heat taken by ice} = m_1 L + m_1 c_1 \Delta\theta_1$$

$$= 5 \times 80 + 5 \times 1 (\theta - 0)$$

$$= 400 + 5\theta$$

Heat given by water at 40°C

$$= m_2 c_2 \Delta\theta_2 = 20 \times 1 \times (40 - \theta)$$

$$= 800 - 20\theta$$

As Heat given = Heat taken

$$800 - 20\theta = 400 + 5\theta$$

$$20\theta = 400$$

$$\theta = \frac{400}{20} = 20^\circ\text{C}$$

34. a

35. The image will be formed by the plane mirror at a 30 cm behind it, while the image by convex mirror will be formed at 10 cm behind the convex mirror. Since for convex mirror $u = -50$ cm as shown in figure.

$$v = 10 \text{ cm}$$

$$\frac{1}{f} = \frac{1}{-50} + \frac{1}{10} = \frac{-1+5}{50} = \frac{4}{50}$$

$$f = \frac{50}{4} = 12.5 \text{ cm}$$

Therefore the radius of curvature of convex mirror is

$$r = 2f = 25 \text{ cm}$$

Hence correct answer is (B).

36. Let the mass is represented by M then

$$M = f(V, F, T)$$

Assuming that a function is product of power functions of V, F and T

$$M = KV^X FY T^Z$$

Where K is a dimension less constant of proportionality. The above equation dimensionally becomes.

$$[M] = [LT^{-1}]^X [MLT^{-2}]^Y [T]^Z$$

$$\text{i.e. } [M] = [MY] [L^X + Y T^{-X-2Y+Z}]$$

So equation becomes

$$[M] = [MY L^X + Y T^{-X-2Y+Z}]$$

For dimensionally correct expression,

$$y = 1, x + y = 0 \text{ and } -x - 2y + z = 0$$

$$\Rightarrow x = -1, y = 1 \text{ and } z = 1.$$

therefore $M = KV^{-1} FT$.

Hence correct answer is (B).

37. Let \hat{n}_1 and \hat{n}_2 are the two unit vectors, then the sum is

$$\mathbf{n}_s = \hat{n}_1 + \hat{n}_2$$

$$\text{or } n_s^2 = n_1^2 + n_2^2 + 2n_1 n_2 \cos \theta$$

$$= 1 + 1 + 2 \cos \theta$$

since it is given that n_s is also a unit vector, therefore

$$1 = 1 + 1 + 2 \cos \theta$$

$$\text{or } \cos \theta = -\frac{1}{2} \quad \text{or } \theta = 120^\circ$$

Now the difference vector is

$$\mathbf{n}_d = \mathbf{n}_1 - \mathbf{n}_2$$

$$\text{or } n_d^2 = n_1^2 + n_2^2 - 2n_1 n_2 \cos \theta$$

$$= 1 + 1 - 2 \cos (120^\circ)$$

$$= 2 - 2(-1/2) = 2 + 1 = 3$$

$$\therefore n_d = \sqrt{3}$$

Thus the correct answer is (B)

$$38. h = -ut + \frac{1}{2}gt^2 \Rightarrow 65 = -12t + 5t^2$$

$$\Rightarrow 5t^2 - 12t - 65 = 0 \Rightarrow t = 5 \text{ sec}$$

Hence correct answer is (C)

39. Force causing the acceleration

$$= 400 - 200 = 200\text{N}$$

$$\text{mass of the boy} = 200/9.8$$

$$\text{hence acceleration} = F/m = \frac{200}{200} \times 9.8$$

$$= 9.8 \text{ m/s}^2$$

Hence correct answer is (A)

40. We know that

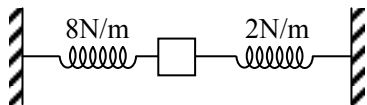
$$\text{Time period} = \frac{\text{Circumference}}{\text{Critical speed}} = \frac{2\pi r}{\sqrt{gr}}$$

$$= \frac{2 \times 22 \times 4}{7 \times \sqrt{10 \times 4}} = 4 \text{ sec}$$

Hence correct answer is (D)

$$41. \therefore n = \frac{1}{2\pi} \sqrt{\frac{k_1 + k_2}{m}} = \frac{1}{2\pi} \sqrt{\frac{8+2}{0.1}} = \frac{5}{\pi}$$

$$= 1.6 \text{ sec}^{-1}$$



Hence correct answer is (D)

42. (B)

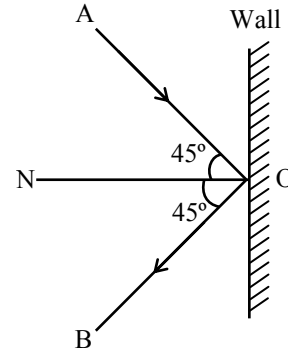
The resultant gravitational force on each particle provides it the necessary centripetal force

$$\therefore \frac{mv^2}{r} = \sqrt{F^2 + F^2 + 2F^2 \cos 60^\circ} = \sqrt{3} F,$$

$$\text{But. } r = \frac{\sqrt{3}}{2} l \times \frac{2}{3} = \frac{l}{\sqrt{3}},$$

$$\therefore v = \sqrt{\frac{GM}{l}}$$

43. [A]



The molecule strikes the wall along AO and rebound along OB such that

$$\angle AON = \angle NOB = 45^\circ$$

The change in component momentum of each H_2 molecule in a perpendicular direction the wall = $\Delta P = 2mv \cos \theta$, where mv = momentum of molecule

$$\therefore \Delta P = (3.32 \times 10^{-27}) \times 10^3 \cos 45^\circ$$

$$\Rightarrow \Delta P = 4.692 \times 10^{-24} \text{ kg m/sec}$$

Force exerted by N molecules on the wall

$$= \Delta P \times N$$

if A is the area of the wall on which the molecule strike, then pressure

$$P = F/A = \frac{N \times \Delta P}{A} = \frac{10^{23} \times 4.692 \times 10^{-24}}{2 \times 10^{-4}} = 2.347 \times 10^3 \text{ N/m}^2$$

$$44. [C] \therefore v = \sqrt{\frac{\gamma P}{\rho}}$$

$$P = 1.013 \times 10^5 \text{ N/m}^2, \rho = 1.3 \text{ kg/m}^3, v = 330 \text{ m/s}$$

$$\gamma = \frac{v^2 \rho}{P} = 1.4$$

Let f be the number of degree of freedom then

$$C_v = fR/2 \text{ and } C_p = fR/2 + R = R(1 + f/2)$$

$$\therefore \gamma = \frac{C_p}{C_v} = \frac{2+f}{f} = 1.4$$

$$(f = 5)$$

45. (B) The work done against the force of friction

$$= \mu R \times \text{displacement} = 0.2 \times 2 \times 9.8 \times 2 \text{ (in one second)}$$

$$= (0.2 \times 2 \times 9.8 \times 2) \times 5 \text{ (in 5 second)}$$

$$= 39.2 \text{ J}$$

$$\text{Heat generated} = \frac{39.2}{4.2} = 9.33 \text{ cal}$$

46. (B) Retardation due to air = $\frac{g}{10}$.

When air resistance is absent

$$\Rightarrow T = \frac{u \sin \theta}{g}$$

$$\Rightarrow T \propto \frac{1}{g}$$

Now if air resistance is considered then

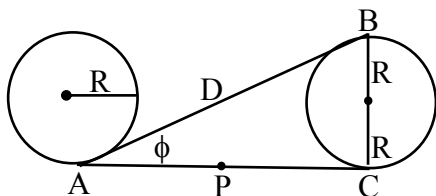
$$T' \propto \frac{1}{g + g/10} \propto \frac{10}{11g}$$

$$\therefore \frac{T - T'}{T} = \frac{\frac{1}{g} - \frac{10}{11g}}{1/g} = \frac{1}{11}$$

$$\therefore \% \text{ age change} = \frac{T - T'}{T} \times 100 = \frac{100}{11}$$

$$\approx 9 \% \text{ decrease}$$

47. In accordance with fig during the half revolution of the wheel, the point A covers $\pi R = (AC)$ horizontal distance while $2R (= BC)$ vertical distance,



So here $P = \pi R$; $\theta = 2R$ and $\pi = 90^\circ$

$$\text{So } D = \sqrt{(\pi R)^2 + (2R)^2} = R \sqrt{\pi^2 + 4}$$

$$\text{and } \phi = \tan^{-1} \left[\frac{2R}{\pi R} \right] = \tan^{-1} \left[\frac{2}{\pi} \right]$$

i.e. displacement has magnitude $R \sqrt{\pi^2 + 4}$ and makes an angle $\tan^{-1} \left(\frac{2}{\pi} \right)$ with x-axis.

Hence correct answer is (B).

48. $v_x = dx/dt = 2ct$, $v_y = dy/dt = 2bt$

$$\therefore v = \sqrt{v_x^2 + v_y^2} = 2t \sqrt{c^2 + b^2}$$

Hence correct answer is (D)

49. $R = ut \Rightarrow t = R/u = 12/8$

$$\begin{aligned} \text{Now } h &= (1/2) gt^2 \\ &= (1/2) \times 9.8 \times (12/8)^2 = \\ &11 \text{ m} \end{aligned}$$

Hence correct answer is (A)

50. (A)